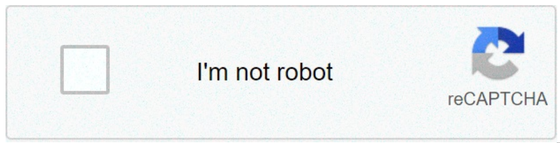

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The first section Print the example statistics used in the calculation of the Grubbs 'test and the value of the Grubbs' Test Statistics. The second section prints the upper critical value for the statistical distribution tests the grubbs' corresponding to the different levels of significance. The value in the first column, the confidence level of the test, is equivalent to 100 (1-). We reject the hypothesis nothing at what level of significance if the value of the Test Statistics of the Grubbs' in section one is greater than the critical value printed in the last column. The third section prints the conclusion for a 95% test. For a different significance level, the appropriate conclusion can be traced by the table printed in section two. For example, for = 0.10, we look at the row for 90% of trust and compare the critical value 3.24 to the statistics tests of the grubbs' 2.92. Because the test statistic is lower than the critical value, nothing is accepted at level = 0.10. Method to detect abeat values Grubbs' Grubbs Statistics Test Calculate Statistical Test of the Grub, like the one used by the Grubbs function, to detect abnormal values: Example. Compare Statistics of the Grubb test with the statistics test of Ouliers. 1. Define a set of data that describes a Heatflow experiment and trace it. y 9.206 9.3 9.278 9.175 9.275 9.289 9.287 9.261 9.303 9.276 9.273 9.288 9.256 9.252 9.298 9.267 9.257 9.278 9.248 9.35 9.276 9.279 9.267 9.246 9.238 9.269 9.248 9.257 9.268 9.288 9.258 9.286 9.251 9.257 9.268 9.291 9.219 9.27 9.219 9.241 9.27 9.227 9.259 9.286 9.32 9.328 9.263 9.248 9.239 9.225 9.221 9.271 9.252 9.281 9.271 9.295 9.302 9.279 9.237 9.234 9.245 9.222 9.207 9.259 9.276 9.269 9.257 9.265 9.296 9.293 9.264 9.281 9.267 9.301 9.253 9.261 9.238 9.225 9.236 9.24 9.264 9.244 9.278 9.311 9.262 9, 26 9,253 9,246 9,284 9,251 9,275 9,255 9,28 9,275 9,262 9,275 9,252 9,23 9,255 9,246 9,29 9,255 9,256 9,262 9,252 9,256 9,262 9,252 9,242 9,264 9,265 9,242 9,242 9,242 9,242 9,242 9,286 9,272 9,242 9,285 9,241 9,261 9,274 9,241 9,261 9,274 9,219 9,271 9,267 9,309 9,264 9,279 9,255 9,229 9,253 9,256 9,263 9,22 9,258 9,268 9,268 9,249 9,235 9,243 9,253 9,263 9,243 9,261 9,26 9,253 9,241 9,239 9,264 9,243 9,247 9,252 9,262 9,247 9,306 9,238 9,249 9,257 9,266 9,299 9,245 9,287 9,301 9,257 9,271 9,275 9,282 9,253 9,269 9,282 9,278 9,285 9,24 9,248 9,248 9,225 9,231 9,279 9,265 9,284 9,281 9,263 9,281 9,252 9,244 9,239 9,252 9,244 9,238 9,18 9,217 9,233 9,235 9,217 9,274 9,274 N Length Yi 0 n 1 range Iimi means Y 2. Define the critical distribution value Student T-2 degrees of freedom and a level of alpha / (2N) significance. T alpha qt alfa 2 n n 2 ã, the qt function calculates the inverse of the cumulative probability of t distribution.3 of student. Define statistics Test of grubbs' in function of alpha. Crit alpha n 1 n t alfa 2 n 2 t alfa 2 4. Define the level of significance for a $ 90% confidence level. Ãž ± 0.1 5. Call the Grubbs function to detect abnormal values. Function Anomalous value grubbs y 1 Ãž ± the grubbs can accept a matrix as input, in which case returns nested pairs of indexes for the array positions of the outliers.6. Compare Statistics of the Grubb test with test statistics of abnormal values. Crit Ãž ± Outlier 1 The two abnormal values have a greater statistical of the Statistical test of the Grubb test. Although more than one index is returned, this does not mean that all candidates must be abnormal values. This is because the critical value and the test statistical variation if a candidate is removed. Both are dependent on N.Because Test Grubba S assumes that the data is normal, it is worthwhile to verify that the data follows a normal distribution. For example, you can use a visual test, such as the normal plot probably probably proceding.grupsClassicuse the GrubbScLASSIC function to find the point that is the most likely to be Outlier in a set.1 data. Calculate the test statistics that is the largest for the data set above. Gmax Max Y MEDIUM Y STDEV Y 2. Define alpha for a 98% confidence interval. Ãž Â ± Â ± 3. Compare the statistics of the Grubbs test with GMAX. Crit Crit Gmax Â Â ± Î ± Î ± are not recognized outliers at this level of significance .4. Call the Grubbsclassic function. Grubbsclassic y 1 Î Î ± ± The point returned by Grubbsclassic is not an outlier, but is the data point that is the reference point that is the most likely to be an outlier. The limitation on the chances of detecting the root of the special construct to calculate the probability in relief which are the outliers detected. Â Â ± _limit Crit root Î ± Î ± Î ± VelanitÃ Gmax is detected when Alpha is bigger than ± Î Â ± _limit, or in other words, when the confidence interval is smaller than (1 - Î ± Â ± _limit): 1 Î ± Â ± _limit% This is consistent with the results above. No outliers were detected for a confidence interval of 98%, but were detected two anomalous values for a 90% confidence interval. Test of Grubbs' Outlier (Grubbs Stefansky 1969, and 1972) controls normally distributed data for outliers. What implies that it must be verified if the data shows a normal distribution before applying the Grubbs test. The Grubbs test always checks the value showing the largest absolute deviation from the mean. If a higher value has been identified and removed, the test should not be repeated without adapting the critical value. The application of the test is fairly straightforward and simple: you look for the maximum of the absolute differences between the values of XI and the average. The result is divided by the standard deviation of the sample. If the G resulting test statistic is greater than the critical value, the corresponding value can be considered an outlier. An extract of the critical values is shown in the following table: N GCritÎ ± Â ± = 0.05 GCritÃ® Â ± Â ¢ = 0.01 n = 0.01 ± GCritÎ GCRIT "Â ± Â ± = 0.05 GCritÃ® = Â ± 0.01 Ã ¢ Â ± n GcritÃ® = 0.05 GCrit Î ± = 0.01 31.15431.1547Ã 152.54832.1547-182.54832.8061Ã 803.30613. 6729 41.48121.4962Ã 162.58572.8521Ã 903.34773.7163 51.71501. 7637Ã 172.62002.8940Ã 1003.38413.7540 61.88711.9728Ã 182.65162.9325Ã 1203.44513.8167 72.02002.1391Ã 192.68092.9680Ã 1403.49513.8673 82.12662.2744Ã 202.70823.0008Ã 1603.53733.9097 92.21502.3868Ã 252,82,173 thousand .1353Ã 1803.57363.9460 102.29002.4821Ã 302.90853.2361Ã 2003.60553.9777 112.35472.5641Ã 403.03613.3807Ã 3003.72364.0935 122.41162.6357Ã 503.12823.4825Ã 4003.80324.1707 132.46202.6990Ã 603.19973.5599Ã 5003.86314.2283 142.50732.7554Ã 703.25763.6217Ã 6003.91094.2740 There is an alternative that allows unilateral test XMIN the minimum or the maximum Xmax of the entire data set. the test statistics calculated according to the following formulas: a v alue can be considered to be a higher value if the statistic G is greater than the critical value. Note that in the case of one-sided test critical values are different. The following is an excerpt: N GCritÎ ± Â ± = 0.05 GCRITÃ Â ± Â ¢ = 0.01 n = 0.01 ± GCritÎ GCRITÃ Â ± Â ± = 0.05 GCRITÃ Â ± = 0 , 01 Ã ¢ Â ± n GCRITÃ = 0.05 GCRIT "Â ± Ã = 0.01 31.15311.15468015.40902.7049 803.43193.5208 41.46251.49258 41.46251.4925. 162.44332. 7470 Ã 903.17333.5632 51.67141.7489Ã 172.47482.7854 1003.20953.6002 61.82211.9442Ã 182.50402.8208 Ã Ã Ã 1203.27063.6619 71.93812.0973Ã 192.53122.8535 1403.32083.7121 82.03172.2208Ã 202.55662.8838 Ã 1603.36333.7542 92.10962.3231Ã 252, 66.293000. 1803.40013.7904 102.17612.4097Ã 302.74513.1029 0086 Ã Ã Ã 2003.43243.8220 112.23392.4843Ã 402.86753.2395 3003.55253.9385 122.28502.5494Ã 502.95703.3366 It 4003.63394.0166 132.33052.6070Ã 603.02693 .4111 It 5003.69524.0749 142.37172.6585Ã 703,08,393 thousand. It 6003.74424.1214 4710 Analyze, graphic and easily submit your scientific work with prism GraphPad. No coding required. Preview Preview request is a single column of numbers. These t east provide objective procedures for the detection of outliers in normally distributed data. Tests Ã ¢ â,¬Å Single Orier "(Grubbs and Dixon) are designed to detect only a relief, and should not Repeated for different abnormal values. The test Ã ¢ â,¬ Å "Multiple OrierÃ ¢ â,¬ (generalized ESD) tries to detect more anomalous values, if present. Grubbs test The Grubbs test (also known as Pearson-Hartley or Somdiated Extreme test) for a single outlier. The basic base It is Grubbs (1950), but the actual reference for statistics G as defined by example Wikipedia and NIST is difficult to trace. In any case, we define G as g = max | XI - U | / s where u is the average sample and s is the standard sample deviation. See the past manual for more details on significant calculations. Note that this is a bilateral test, tests for the presence of an abnormal value at the two ends of the range (small or larger value). Test Grubba S is recommended for relatively large sample size (N> 30). For smaller samples, the Dixon test is preferable, although the two tests usually give similar tests Results.Ã, DixonÃ ¢ s test test Dixon (Dixon 1950) for a single abnormal value. It can only be used for small samples (n Rcrit, are to be considered anomalous values, and are marked as such in the past. Very often, I, most extreme initial values do not give R> Rcrit but can still be anomalous values due to a significant value, lower in the list. This is due to the masking effect. It looks strange, but it's not a bug! Ã, references Dixon, W.J. 1950. The analysis of extreme values. ANNALS OF MATHEMATICAL STATISTICS 21: 488-506.Ã, GRUBBS, F. 1950. Example criteria to test abnormal observations. ANNALS OF MATHEMATICAL STATISTICS 21: 27-58.Ã, Rosner, B. 1983. Percent points for a generalized ESD-outlier procedure. Technometrics 25: 165-172.ã, 25: 165-172.ã,